

# Study of the Influence of Reaction Conditions on the Degree of Substitution, Intrinsic Viscosity, and Yield of Oxidized Cellulose Acetate by Factorial Experimental Design

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**ABSTRACT:** A half-fraction, two-level, four-factor factorial experimental design was used to study the effects of the acetic anhydride concentration, reaction temperature, reaction time, and sulfuric acid concentration on the degree of substitution, intrinsic viscosity, and yield of oxidized cellulose acetate (OCA). Oxidized cellulose containing 20% (w/w) carboxylic acid was used as the starting material. The data were fitted by multiple regression analysis with SAS software. The correlation coefficients obtained from plots of the predicted and observed values for the degree of substitution, intrinsic viscosity, and yield were 0.985, 0.993, and 0.991, respectively. Residual normal plots of the regression models showed a linear relationship. Lenth and main-factor-effect plots revealed an increase in the degree of substitution of OCA with an increasing concentration of acetic anhy-

dride. The latter had no effect on the intrinsic viscosity and yield of OCA. An increase in the reaction temperature led to an increase in the degree of substitution and a decrease in the intrinsic viscosity and yield of OCA. The influence of the reaction time on the degree of substitution and intrinsic viscosity followed a trend similar to that observed with the reaction temperature, but the yield of OCA was unaffected. Increasing the concentration of sulfuric acid reduced the degree of substitution, intrinsic viscosity, and yield of OCA. © 2005 Wiley Periodicals, Inc. *J Appl Polym Sci* 96: 696–705, 2005

**Key words:** oxidized cellulose esters; oxidized cellulose acetate; 6-carboxycellulose acetate; factorial experimental design

## INTRODUCTION

Recently, considerable interest has been focused on the use of carboxyl-functionalized cellulose [6-carboxycellulose, commonly called oxidized cellulose (OC); Fig. 1] as a drug carrier<sup>1–10</sup> and as a biomaterial.<sup>11,12</sup> Ashton and Moser<sup>13</sup> reported that OC with a carboxylic acid group concentration as low as 3% was biocompatible and bioresorbable. Currently, OC with a 14–24% carboxyl concentration is commonly and widely used to stop bleeding during surgery and to prevent the (re)formation of adhesions after surgery.<sup>11,12</sup> Studies have shown that OC also possesses anti-inflammatory,<sup>14</sup> antitumor,<sup>15</sup> immunostimulant,<sup>16</sup> and wound-healing<sup>17</sup> properties. However, because OC is insoluble in water and common organic solvents, it presents limited formulation flexibility. To overcome this problem, we have recently transformed OC into oxidized cellulose acetate (OCA) by a treatment with a mixture of acetic anhydride (AC<sub>2</sub>O) and acetic acid (HOAC) in the presence of sulfuric acid

(H<sub>2</sub>SO<sub>4</sub>) as a catalyst.<sup>18</sup> The new material is soluble in a variety of organic solvents, including binary solvent systems such as methylene dichloride and methanol.

In this article, we report the results of a two-level, four-factor factorial experimental design used to study the effects of the AC<sub>2</sub>O concentration (X<sub>1</sub>), reaction temperature (X<sub>2</sub>), reaction time (X<sub>3</sub>), and H<sub>2</sub>SO<sub>4</sub> concentration (X<sub>4</sub>) on the degree of substitution (Y<sub>1</sub>), intrinsic viscosity (Y<sub>2</sub>), and yield of OCA (Y<sub>3</sub>).

## EXPERIMENTAL

### Materials

OC containing 20% carboxylic acid groups (w/w) was prepared from cotton linters (grade 10-270; Southern Cellulose Products, Inc., Chattanooga, TN) by a treatment with a mixture of phosphoric acid, nitric acid, and sodium nitrite according to a procedure reported recently by Kumar and Yang.<sup>18</sup> All other chemicals were analytical-reagent-grade and were used as received.

### Factorial experimental design

A two-level, four-factor factorial experimental design, with X<sub>1</sub>, X<sub>2</sub>, X<sub>3</sub>, and X<sub>4</sub> as independent variables and

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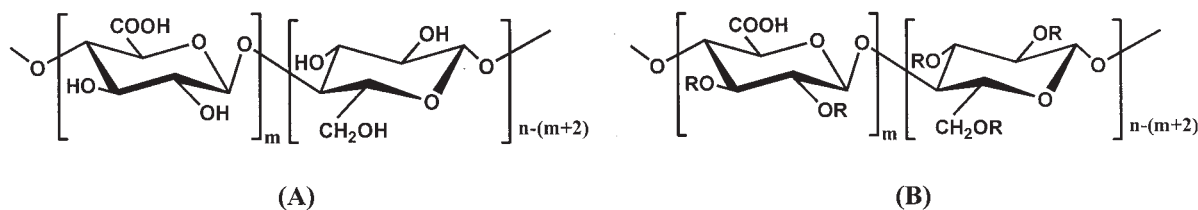


Figure 1 Structures of (A) OC and (B) OCA [R = H or C(O)CH<sub>3</sub>].

$Y_1$ ,  $Y_2$ , and  $Y_3$  as dependent variables, was employed. In this two-level, four-factor, half-fractional factorial experimental design, the confounding rule was 0 = 1234, 1 = 234, 2 = 134, 3 = 124, 4 = 123, 12 = 34, 13 = 24, and 14 = 23. The resolution was 4. The lower and upper levels of the independent variables are listed in Table I. These four independent variables were major factors that were expected to have pronounced effects on the dependent properties of OCA and control the reaction output. Lower order interactions of main factors were also studied, but contributions from higher order interactions were assumed to be insignificant. The regression expression (reduced model) for a four-factor analysis-of-variance model is

$$y = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \beta_3 X_3 + \beta_4 X_4 + \beta_{12} X_{12}(\text{or } X_{34}) + \beta_{13} X_{13}(\text{or } X_{24}) + \beta_{14} X_{14}(\text{or } X_{23}) + \varepsilon$$

where  $y$  is the response parameter of interest;  $X_1$ ,  $X_3$ , and  $X_4$  are independent variables;  $X_{12}$ ,  $X_{13}$ ,  $X_{14}$ ,  $X_{23}$ , and  $X_{24}$  are second-order interactions of independent variables;  $\beta_0$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_{12}$ ,  $\beta_{13}$ , and  $\beta_{14}$  are model coefficients determined by the multiple linear regression analysis; and  $\varepsilon$  is the residual error. The response data were fitted to the model with SAS software (SAS Institute, Cary, NC).

The experimental procedure and characterization methods used in the study are described next.

### Preparation of OCA

OC (10 g; activated by soaking in 50 mL of water for 30 min and then dehydrated with 200 mL of glacial

TABLE I  
Experimental Variables and Factor Levels

Independent variable <sup>a</sup>	Lowest level (-1)	Highest level (1)
$X_1$ (wt %)	30.0	80.0
$X_2$ (°C)	30.0	60.0
$X_3$ (h)	1.0	4.0
$X_4$ (wt%) <sup>a</sup>	0.1	0.8

<sup>a</sup> The weight ratio of HOAC to AC<sub>2</sub>O to H<sub>2</sub>SO<sub>4</sub> in the reaction was 100 - ( $X_1 + X_4$ ): $X_1$ : $X_4$ .

HOAC) was added slowly to a 100 - ( $X_1 + X_4$ )/ $X_1$ / $X_4$  (w/w/w) mixture of HOAC, AC<sub>2</sub>O, and H<sub>2</sub>SO<sub>4</sub> (Table II) with constant stirring at 0°C. The resulting mixture was allowed to react at 30 or 60°C for 1 or 4 h. The clear solution obtained was cooled in an ice-water bath for 30 min, and 200 mL of diethyl ether was then added to the reaction mixture. The white solid that precipitated was filtered, washed with distilled water to a constant pH, and then vacuum-dried.

### Determination of the degree of substitution of acetyl groups (DS) ( $Y_1$ )

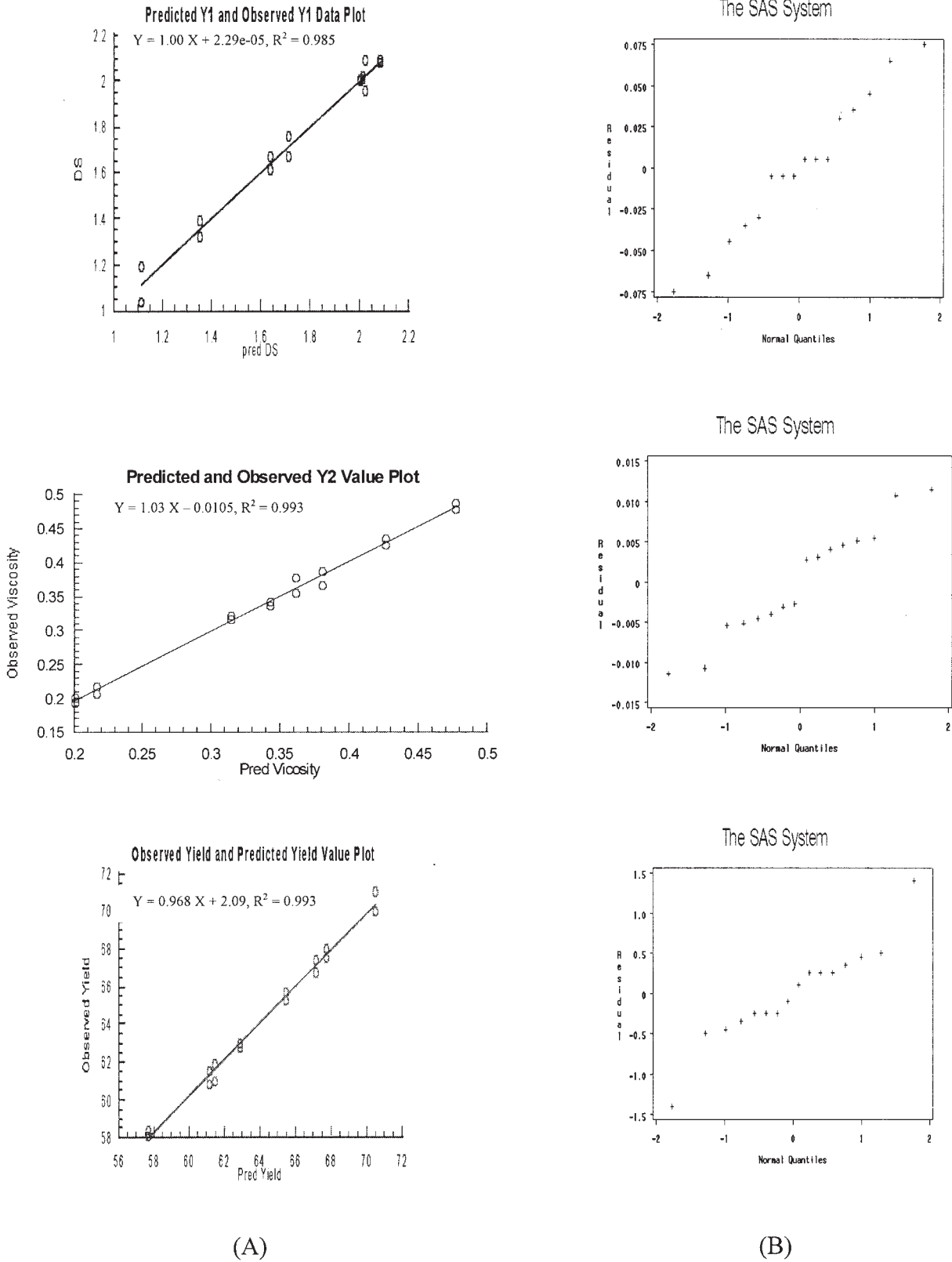
DS was determined by <sup>1</sup>H-NMR with the following relationship:

$$DS = \frac{\text{Peak area of methyl protons}(\delta 1.5-2.3\text{ppm})/3}{\text{Peak area of glucose/glucuronic ring protons}(\delta 3.5-5.0\text{ppm})/5.5}$$

The <sup>1</sup>H-NMR spectra were recorded in solutions of dimethyl sulfoxide-*d*<sub>6</sub> (DMSO-*d*<sub>6</sub>) on a Bruker MSL-300 spectrometer (Bruker Biospin Co., Billerica, MA). DMSO-*d*<sub>6</sub> also served as an internal reference (<sup>1</sup>H = 2.49 ppm).

TABLE II  
Experiment Matrix and Results

Run	$X_1$	$X_2$	$X_3$	$X_4$	$Y_1$	$Y_2$	$Y_3$
1-1	-1	-1	-1	-1	1.19	0.488	68.0
1-2	-1	-1	-1	-1	1.04	0.477	67.5
2-1	1	-1	-1	1	1.61	0.377	66.9
2-2	1	-1	-1	1	1.67	0.355	67.4
3-1	-1	1	-1	1	1.67	0.217	61.0
3-2	-1	1	-1	1	1.76	0.206	61.9
4-1	1	1	-1	-1	2.08	0.366	60.8
4-2	1	1	-1	-1	2.09	0.387	61.5
5-1	-1	-1	1	1	1.39	0.316	65.2
5-2	-1	-1	1	1	1.32	0.322	65.7
6-1	1	-1	1	-1	2.02	0.426	70.0
6-2	1	-1	1	-1	2.01	0.435	71.0
7-1	-1	1	1	-1	1.96	0.342	63.0
7-2	-1	1	1	-1	2.09	0.336	62.8
8-1	1	1	1	1	2.00	0.192	56.3
8-1	1	1	1	1	2.01	0.200	59.1



USE BLACK INK TAPSCO, INC.

Figure 2 (A) Relationship between the predicted and observed values of  $Y_1$ ,  $Y_2$ , and  $Y_3$  and (B) normal residue plots.

**TABLE III**  
Overall *F* Tests of the Coefficients of the Models (from SAS Output)

Model	Source	Degrees of freedom	Sum of squares	Mean squares	<i>F</i> value	<i>p</i> value
<i>Y</i> <sub>1</sub>	Model	7	1.79	0.256	72.7	<0.0001
	error	8	0.03	0.004		
<i>Y</i> <sub>2</sub>	Model	7	0.136	0.0200	218	<0.0001
	error	8	0.001	0.0001		
<i>Y</i> <sub>3</sub>	Model	7	247	35.2	51.6	<0.0001
	error	8	6	0.7		

**Determination of intrinsic viscosity (*Y*<sub>2</sub>)**

*Y*<sub>2</sub> was determined in a 10:1 (v/v) mixture of acetone and water at 20.0 ± 0.1°C with a Canon-Fenske capillary viscometer (size 100). Ten milliliters of the OCA solution in acetone/water (0.2–0.8% w/v) was transferred to the lower bulb of the viscometer and then equilibrated to 20.0 ± 0.1°C in a precisely controlled water bath for 5 min. The equilibrated solution was drawn into the upper bulb (above the upper mark) by suction and then allowed to flow freely. The time required for the fluid meniscus to flow from the upper mark of the bulb to the lower mark was recorded and used to calculate the relative viscosity (*η*<sub>rel</sub>) as follows: *η*<sub>rel</sub> = *t*/*t*<sub>0</sub>, where *t* and *t*<sub>0</sub> are the efflux times for the sample solution and blank solvent (10:1 acetone/water), respectively. The specific viscosity (*η*<sub>sp</sub>) was calculated by the subtraction of 1 from *η*<sub>rel</sub>. *Y*<sub>2</sub> was determined from a plot of *η*<sub>sp</sub>/*C* versus *C*, where *C* is the concentration of an OC solution (g/dL).

**Determination of yield (*Y*<sub>3</sub>)**

*Y*<sub>3</sub> was calculated according to the following equation:

$$\text{Yield (\%)} = \frac{\text{Weight of the product}}{\text{Theoretical weight of the product}} \times 100$$

**TABLE IV**  
Coefficient Estimates of the *Y*<sub>1</sub> Model and *t* Test (α = 0.05)

	Degrees of freedom	Estimate	<i>t</i> value	<i>p</i> value
Intercept	1	1.74	118	<0.0001
<i>X</i> <sub>1</sub>	1	0.192	12.9	<0.0001
<i>X</i> <sub>2</sub>	1	0.213	14.4	<0.0001
<i>X</i> <sub>3</sub>	1	0.106	7.12	<0.0001
<i>X</i> <sub>4</sub>	1	-0.0656	-4.43	0.0022
<i>X</i> <sub>12</sub> / <i>X</i> <sub>34</sub>	1	-0.104	-7.04	0.0001
<i>X</i> <sub>13</sub> / <i>X</i> <sub>24</sub>	1	-0.0319	-2.15	0.0638
<i>X</i> <sub>14</sub> / <i>X</i> <sub>23</sub>	1	-0.0481	-3.25	0.0118

**TABLE V**  
Coefficient Estimates of the *Y*<sub>2</sub> Model and *t* Test (α = 0.05)

	Degrees of freedom	Estimate	<i>t</i> value	<i>p</i> value
Intercept	1	0.340	144	<0.0001
<i>X</i> <sub>1</sub>	1	0.00213	0.900	0.3930
<i>X</i> <sub>2</sub>	1	-0.0594	-25.2	<0.0001
<i>X</i> <sub>3</sub>	1	-0.0189	-8.02	<0.0001
<i>X</i> <sub>4</sub>	1	-0.0669	-28.4	<0.0001
<i>X</i> <sub>12</sub> / <i>X</i> <sub>34</sub>	1	0.00331	1.40	0.1990
<i>X</i> <sub>13</sub> / <i>X</i> <sub>24</sub>	1	-0.00999	-4.19	0.0030
<i>X</i> <sub>14</sub> / <i>X</i> <sub>23</sub>	1	0.00564	2.39	0.0444

The theoretical weight of the product was calculated as follows: (weight of OC/173.0)(173.0 + DS × 42), where 173.0 is the average molecular weight of the anhydroglucose ring in OC and 42 is the molecular weight of the carboxylic acid groups.

**RESULTS AND DISCUSSION**

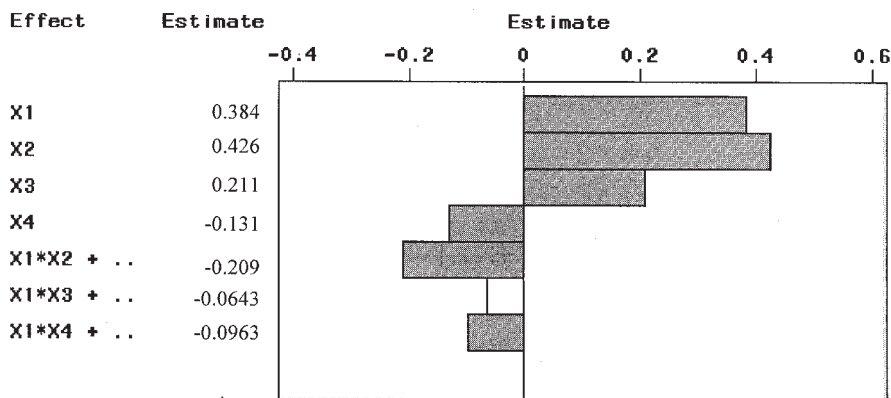
The values of the different levels of the independent variables (*X*<sub>1</sub>, *X*<sub>2</sub>, *X*<sub>3</sub>, and *X*<sub>4</sub>) used in this study are presented in Table I. Table II lists the values of the response factors (*Y*<sub>1</sub>, *Y*<sub>2</sub>, and *Y*<sub>3</sub>). The regression expressions obtained for these response factors are as follows:

$$\begin{aligned} Y_1 = & 1.74 + 0.192X_1 + 0.213X_2 + 0.106X_3 \\ & - 0.066X_4 - 0.104X_{12}(\text{or } X_{34}) - 0.032X_{13}(\text{or } X_{24}) \\ & - 0.048X_{14}(\text{or } X_{23}) \end{aligned}$$

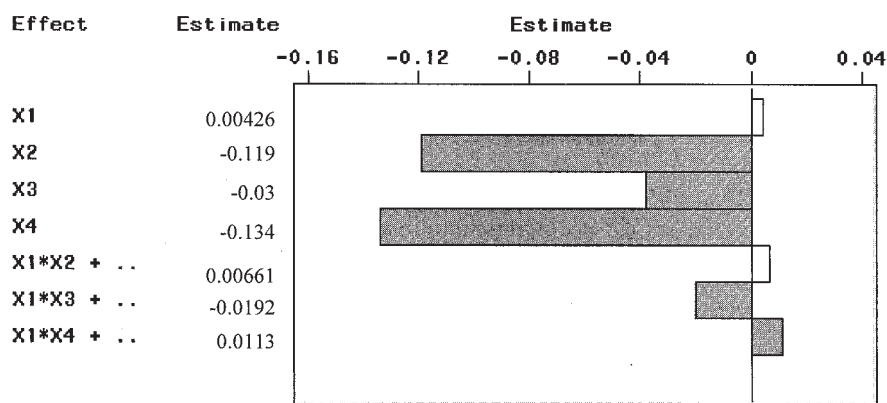
$$\begin{aligned} Y_2 = & 0.340 + 0.002X_1 - 0.059X_2 - 0.019X_3 \\ & - 0.067X_4 + 0.003X_{12}(\text{or } X_{34}) - 0.010X_{13}(\text{or } X_{24}) \\ & + 0.006X_{14}(\text{or } X_{23}) \end{aligned}$$

**TABLE VI**  
Coefficient Estimates of the *Y*<sub>3</sub> Model and *t* Test (α = 0.05)

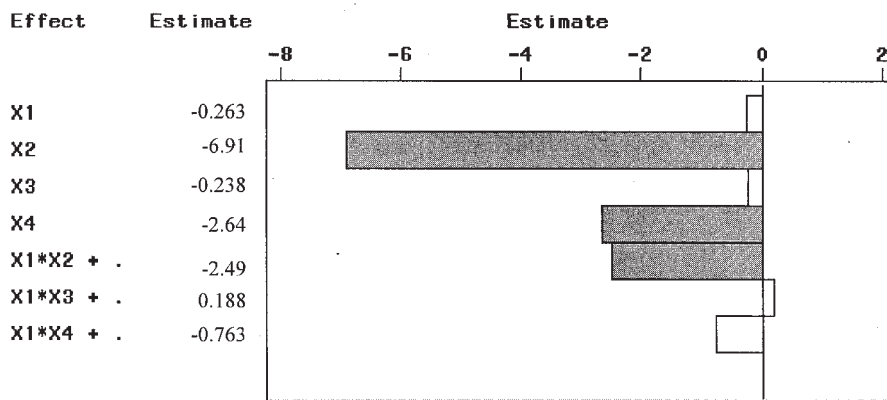
	Degrees of freedom	Estimate	<i>t</i> value	<i>p</i> value
Intercept	1	64.3	311	<0.0001
<i>X</i> <sub>1</sub>	1	-0.131	-0.640	0.5430
<i>X</i> <sub>2</sub>	1	-3.46	-16.7	<0.0001
<i>X</i> <sub>3</sub>	1	-0.119	-0.570	0.5813
<i>X</i> <sub>4</sub>	1	-1.32	-6.38	0.0002
<i>X</i> <sub>12</sub> / <i>X</i> <sub>34</sub>	1	-1.24	-6.02	0.0003
<i>X</i> <sub>13</sub> / <i>X</i> <sub>24</sub>	1	0.0938	0.450	0.6621
<i>X</i> <sub>14</sub> / <i>X</i> <sub>23</sub>	1	-0.381	-1.85	0.1022



(A)



(B)



(C)

Figure 3 Lenth plots of (A)  $Y_1$ , (B)  $Y_2$ , and (C)  $Y_3$  models.

$$Y_3 = 64.3 - 0.131X_1 - 3.46X_2 - 0.119X_3 - 1.32X_4 - 1.24X_{12}(\text{or } X_{34}) + 0.009X_{13}(\text{or } X_{24}) - 0.381X_{14}(\text{or } X_{23})$$

where  $X_{12}$  (or  $X_{34}$ ),  $X_{13}$  (or  $X_{24}$ ), and  $X_{14}$  (or  $X_{23}$ ) represent the second-order interactions between  $X_1$  and  $X_2$  (or  $X_3$  and  $X_4$ ),  $X_1$  and  $X_3$  (or  $X_2$  and  $X_4$ ), and  $X_1$  and  $X_4$  (or  $X_2$  and  $X_3$ ) factors, respectively. The interaction terms  $X_{12}$ ,  $X_{13}$ , and  $X_{14}$  confound with  $X_{34}$ ,

$X_{24}$ , and  $X_{23}$ , respectively. Interaction measures the extent to which the effect of one factor changes for different values of other (one or more) factors. Interactions are mathematically independent of their constituent main effects; that is, the presence of a significant interaction does not require or preclude significant main effects.

The correlation coefficients of these models were tested by plots of the predicted and observed values and by residual normal plots [Figs. 2(A,B)]. The coef-

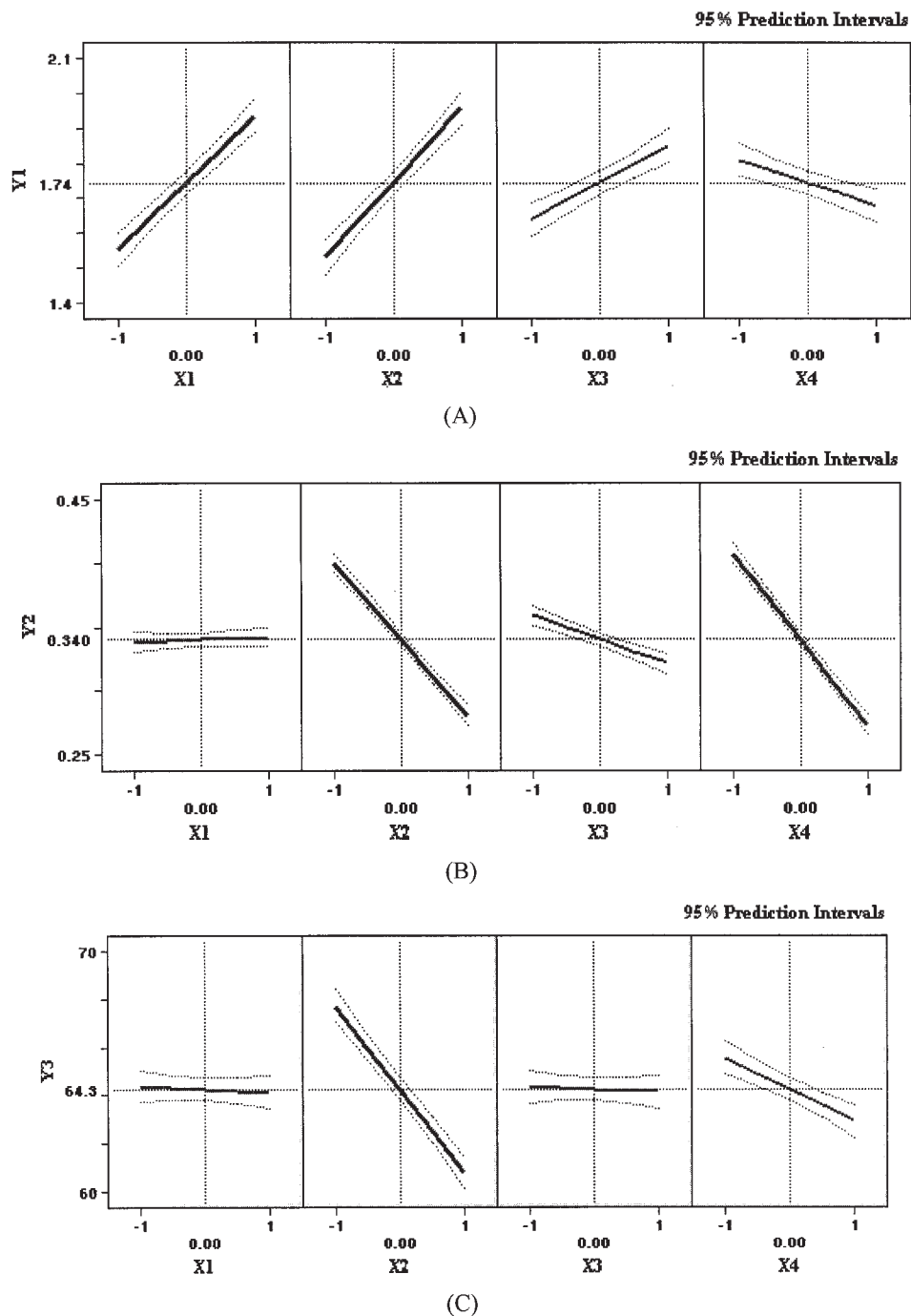


Figure 4 Main-effect plots of (A)  $Y_1$ , (B)  $Y_2$ , and (C)  $Y_3$  models.

coefficient of determination ( $R^2$ ) values were 0.985, 0.995, and 0.978 for the  $Y_1$ ,  $Y_2$ , and  $Y_3$  models, respectively. These results suggest that there is a reasonably good linear relationship between the predicted and observed correlation coefficient values. A nearly linear normal plot [Fig. 2(B)] shows a normal distribution of residuals for these models, indicating that the models obtained are good predictors of the effects of the main factors on  $Y_1$ ,  $Y_2$ , and  $Y_3$ .

#### Estimation and examination of the coefficients

The coefficient of an experimental factor represents the effect of that factor on the output of responses. A positive sign indicates a synergistic effect, whereas a negative number indicates an antagonistic effect on the response. The overall  $F$  test was used to test whether or not a regression relation existed between the  $Y$  response variable and the set of  $X$  variables

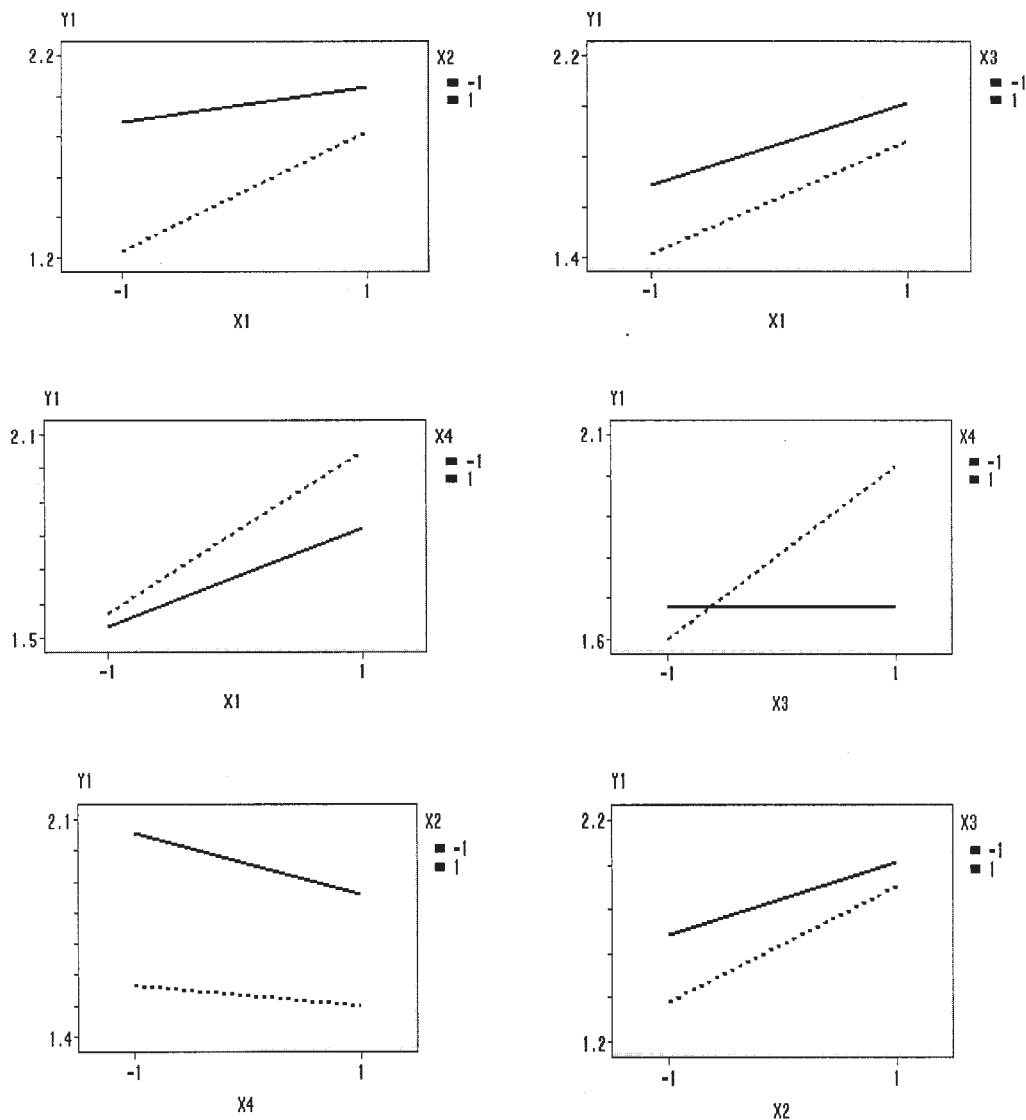


Figure 5 Two-way interaction plots for the  $Y_1$  model.

(Table III). The alternatives were as follows:  $H_0, \beta_0 = \beta_1 = \beta_2 = \dots \beta_{14}$  (or  $\beta_{23}$ ) = 0, and  $H_a, \beta \neq 0$ . The  $p$  value of this entire test was 0.000. Thus, for the model of each response, there must be a coefficient not equal to zero. The coefficient values estimated for the  $Y_1, Y_2$ , and  $Y_3$  models are listed in Tables IV–VI.

#### Analysis of the factorial design output

The main-effect and partial second-order interaction coefficients obtained for the three models are listed in Tables IV–VI. The coefficient values for the three factors ( $X_1, X_2$ , and  $X_3$ ) in the  $Y_1$  model were 0.192, 0.213, and 0.106, respectively, and the  $p$  values for all the interaction coefficients were 0.0001; this suggested that  $Y_1$  was significantly affected by  $X_1, X_2$ , and  $X_3$ . The positive coefficient values meant that  $Y_1$  increased

with increasing  $X_1, X_2$ , and  $X_3$ . The estimated coefficient and the  $p$  value for  $X_4$  were  $-0.066$  and  $0.002$ , respectively, and this meant that  $Y_1$  was also affected by  $X_4$  of the reaction system. However, in comparison with the influence of the other three factors, it decreased with increasing  $X_4$ . Length and main-effect plots showing these effects are depicted in Figures 3 and 4, respectively.

In Table IV,  $X_{12}/X_{34}, X_{13}/X_{24}$ , and  $X_{14}/X_{23}$  represent second-order interactions between  $X_1$  and  $X_2$  (or  $X_3$  and  $X_4$ ),  $X_1$  and  $X_3$  (or  $X_2$  and  $X_4$ ), and  $X_1$  and  $X_4$  (or  $X_2$  and  $X_3$ ), respectively. The estimated coefficient values of  $-0.104, -0.032$ , and  $-0.048$  and the  $p$  values of  $0.0001, 0.064$ , and  $0.012$  for  $X_{12}/X_{34}, X_{13}/X_{24}$ , and  $X_{14}/X_{23}$ , respectively, indicate significant interactions between  $X_1$  and  $X_2$  (or  $X_3$  and  $X_4$ ) and  $X_1$  and  $X_4$  (or  $X_2$  and  $X_3$ ) pairs only. The negative sign indicates an



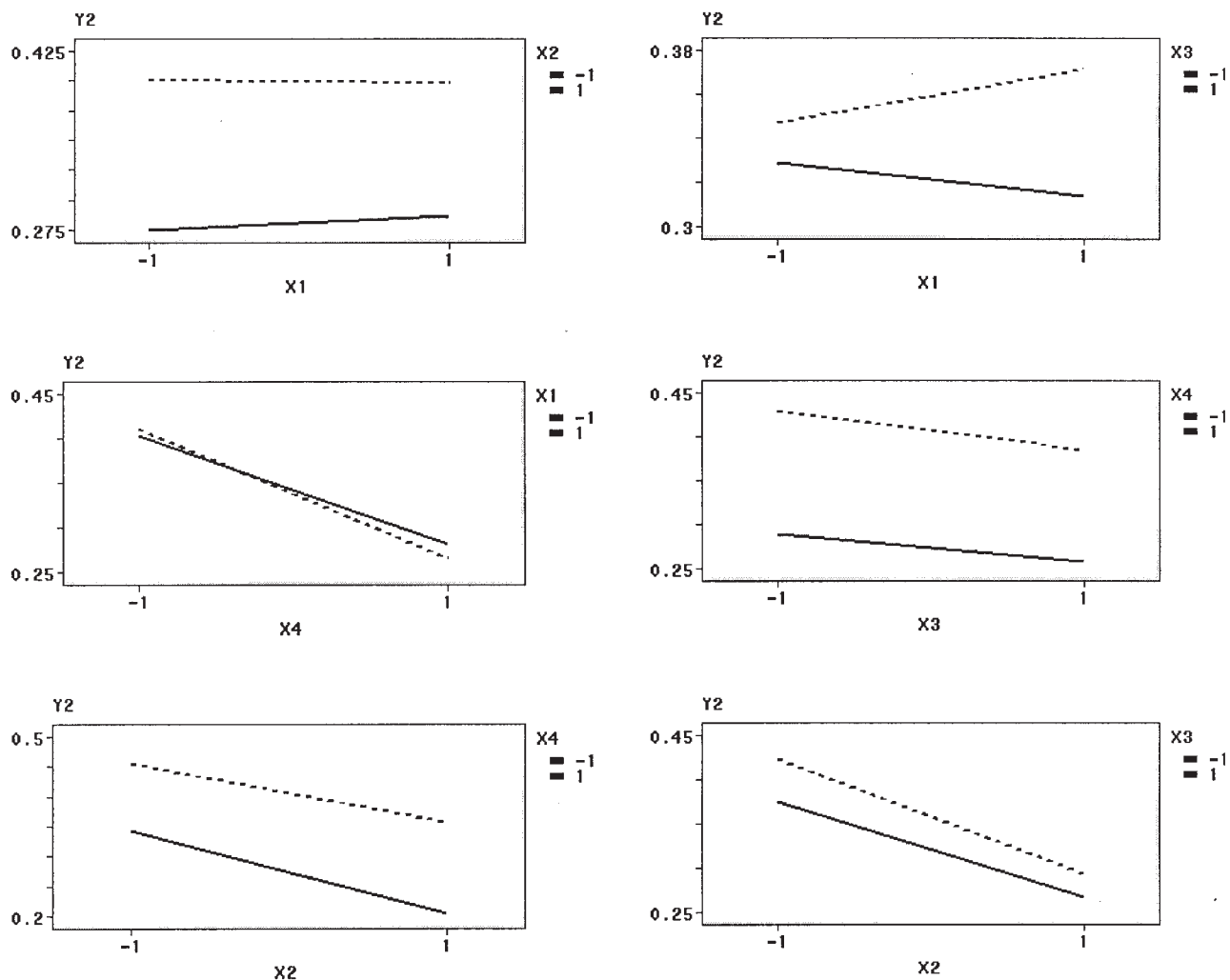


Figure 6 Two-way interaction plots for the  $Y_2$  model.

antagonistic effect of each pair. Because  $X_{12}$  was equal to  $X_{34}$ ,  $X_{13}$  was equal to  $X_{24}$ , and  $X_{14}$  was equal to  $X_{23}$ , two-way interaction plots were used to identify which interaction effect dominated the term. Figure 5 shows two-way interaction plots for the  $Y_1$  model. Separate curves were drawn for each of the second factor levels (-1 and +1). For example, in the  $X_1$ - $X_2$  plot, the dotted line stands for the  $Y_1$  value change when  $X_2$  is at its lowest level (-1), and the dark line stands for the  $Y_1$  value change when  $X_2$  is at its highest level (+1). Both dotted and dark lines are almost parallel in the  $X_1$ - $X_2$  plot, whereas they cross each other in the  $X_3$ - $X_4$  interaction plot. These results indicate a strong interaction between  $X_3$  and  $X_4$  and virtually no interaction between  $X_1$  and  $X_2$ .

In the  $X_1$ - $X_3$  and  $X_2$ - $X_4$  interaction plots (Fig. 5), the dotted and dark lines are all parallel, and this indicates that there is no significant interaction between  $X_1$  and  $X_3$  or between  $X_2$  and  $X_4$ . In comparison, the dotted and dark lines in the  $X_1$ - $X_4$  and  $X_2$ - $X_3$  interac-

tion plots are nonparallel, and this means that both pairs display interaction.

Except for  $X_1$ , which had a  $p$  value of 0.393, all other reaction variables ( $X_2$ ,  $X_3$ , and  $X_4$ ) were found to significantly affect  $Y_2$  ( $p < 0.05$ ; Table V). The estimated coefficient values of -0.059, -0.019, and -0.067 for  $X_2$ ,  $X_3$ , and  $X_4$ , respectively, indicated that increases in  $X_2$ ,  $X_3$ , and  $X_4$  led to a decrease in  $Y_2$ . The main-effect and Lenth plots depicting this trend are shown in Figures 3 and 4.

The estimated coefficients and  $p$  values calculated for  $X_{12}/X_{34}$ ,  $X_{13}/X_{24}$ , and  $X_{14}/X_{23}$  (Table V) show a strong antagonistic interaction between  $X_1$  and  $X_3$  (or  $X_2$  or  $X_4$ ) and  $X_1$  and  $X_4$  (or  $X_2$  and  $X_3$ ) pairs ( $p < 0.05$ ). The two-way interaction plots (Fig. 6), used to identify the dominant interaction effect, showed no significant interaction between the pairs of each factor. The zero slope obtained for the curves in the  $X_1$ - $X_2$  plot indicates no significant effect of  $X_1$ . In  $X_1$ - $X_3$  and  $X_1$ - $X_4$  interaction plots, the dotted and dark lines are non-



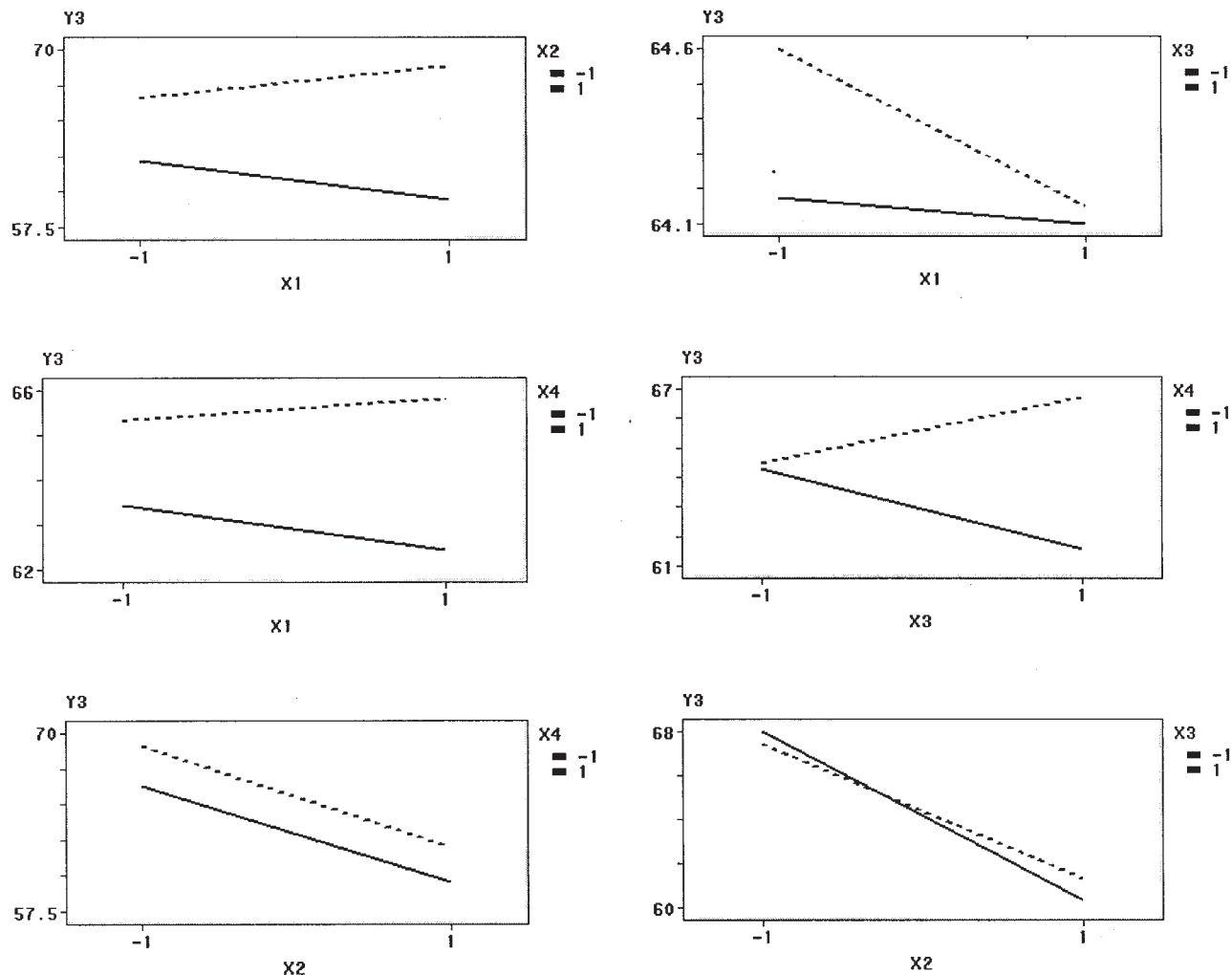


Figure 7 Two-way interaction plots for the  $Y_3$  model.

parallel, whereas in the  $X_2$ - $X_4$  and  $X_2$ - $X_3$  plots, the two lines are parallel; this suggests that  $X_1$ - $X_3$  and  $X_1$ - $X_4$  interactions dominate the  $X_{13}/X_{24}$  and  $X_{14}/X_{23}$  terms, respectively.

The coefficient estimates and the  $p$  values obtained for the main effects in the  $Y_3$  model (Table VI) show that  $Y_3$  is independent of  $X_1$  and  $X_2$  but decreases with an increase in  $X_3$  and  $X_4$ . The corresponding values for the  $X_{12}/X_{34}$ ,  $X_{13}/X_{24}$  and  $X_{14}/X_{23}$  interaction terms suggest no significant interaction between  $X_1$  and  $X_3$  (or  $X_2$  and  $X_4$ ) and  $X_1$  and  $X_4$  (or  $X_2$  and  $X_3$ ) pairs but a strong antagonistic interaction between  $X_{12}/X_{34}$ . The two-way interaction plots shown in Figure 7 indicate significant interactions between pairs of  $X_1/X_2$ ,  $X_3/X_4$ ,  $X_1/X_4$ , and  $X_2/X_3$  factors.

### CONCLUSIONS

A half-fraction, two-level, four-factor factorial experimental design was used to study the effects of  $X_1$ ,  $X_2$ ,

$X_3$ , and  $X_4$  on  $Y_1$ ,  $Y_2$ , and  $Y_3$  for OCA, a new class of biodegradable and bioresorbable polymers. The results showed an increase in  $Y_1$  and no effects on  $Y_2$  and  $Y_3$  with an increase in  $X_1$  from 30 to 80%. The increase in  $X_2$  from 30 to 60°C significantly increased  $Y_1$  but had adverse effects on  $Y_2$  and  $Y_3$ .  $X_3$  caused a synergistic effect on  $Y_1$ , an antagonistic effect on  $Y_2$ , and no effect on  $Y_3$ .  $X_4$  adversely affected  $Y_1$ ,  $Y_2$ , and  $Y_3$ . These results suggest that to prepare a product with a higher  $Y_1$  value, a higher  $Y_2$  value, and a good  $Y_3$  value, a higher  $X_1$  value, a lower  $X_2$  value, a lower  $X_4$  value, and a higher  $X_3$  value are needed.

### References

1. Dol'berg, E. B.; Shuteeva, L. N.; Yasnitskii, B. G.; Obolentseva, G. V.; Khadzhai, Y. I.; Furmanov, Y. A. *Khim-Farm Zh* 1974, 8, 23.
2. Belaya, A. V.; Yurshtovich, T. L.; Kaputskii, F. N.; Pavlyuchenko, G. M. *Zh Prikl Khim* 1985, 58, 2079.

3. Alinovskaya, V. A.; Kaputskii, F. N.; Yurkshtovich, T. L.; Talapin, V. M.; Stel'makh, V. A. U.S.S.R. Pat. 1,406,161 (1988).
4. Kaputskii, F. N.; Alinovskaya, V. A.; Yurkshtovich, T. L. Vest Akad Navuk BSSR Ser Khim Navuk 1989, 3, 27.
5. Bychkovskii, P. M.; Kaputskii, F. N.; Yurkshtovich, T. L. Vest Akad Navuk BSSR Ser Khim Navuk 1993, 3, 41.
6. Kaputskii, F. N.; Bychkovskii, P. M.; Yurkshtovich, T. L.; Burtin, S. M.; Korolik, E. V.; Buslov, D. K. Colloid J 1995, 57, 42.
7. Rahn, K.; Heinze, T.; Klemm, D. In Cellulose and Cellulose Derivatives: Physicochemical Aspects and Industrial Applications; Kennedy, J. F.; Phillips, G. O.; Williams, P. A.; Piculell, L., Eds.; Woodhead: Cambridge, England, 1995; p 213.
8. Kaputskii, F. N.; Starobinets, G. L.; Bychkovskii, P. M.; Yurkshtovich, T. L.; Veremei, T. Y.; Damarad, A. N. Vestn Beloruss Gos Univ Ser 2 Khim Biol Geo 1997, 1, 6.
9. Kumar, V.; Kang, J. C.; Hohl, R. J. Pharm Dev Technol 2001, 6, 459.
10. Kumar, V.; Kang, J.; Yang, T. Pharm Dev Technol 2001, 6, 449.
11. Stillwell, R. L.; Marks, M. G.; Sferstein, L.; Wiseman, D. In Oxidized Cellulose: Chemistry, processing and medical applications; Florence, A.; Gregoriadis, G., Eds.; Drug Targeting Delivery, 7, Harwood Academic: New York, 1997; pp 291–306.
12. Wiseman, D. M.; Saferstein, L.; Wolf, S. Eur. Pat. EP 815881A2 19980107 (1998).
13. Ashton, W. H.; Moser, C. E. U.S. Pat. 3,364,200 (1968).
14. Abaev, Y. K.; Kaputskii, V. E.; Adarchenko, A. A.; Sobeshchuk, O. P. Antibiot Med Biotekhnol 1986, 31, 624.
15. Togkalidou, T.; Braatz, R. D.; Johnson, B. K.; Davidson, O.; Andrews, A. AIChE J 2001, 47, 160.
16. Otterlei, M.; Espvik, T.; Skjak-Braek, G.; Smidsord, O. U.S. Pat. 5,169,840 (1992).
17. Finn, M. D.; Schow, S. R.; Schneiderman, E. D. J Oral Maxillofac Surg 1992, 50, 608.
18. Kumar, V.; Yang, T. Carbohydr Polym 2002, 48, 403.